Wim Martens

RelationalAI University of Bayreuth

FMT 2025

relational<u>A</u>



Molham Aref

Mary McGrath

#### Allison Rogers

Nathaniel Nystrom

David Zhao

George Kastrinis

Abdul Zreika

**relational**AI

Liat Peterfreund Cristina Sirangelo Leonid Libkin Victor Marsault Filip Murlak Paolo Guagliardo Wim Martens Domagoj Vrgoč Special thanks: Martin Bravenboer

FMT 2025





### RelationalAI

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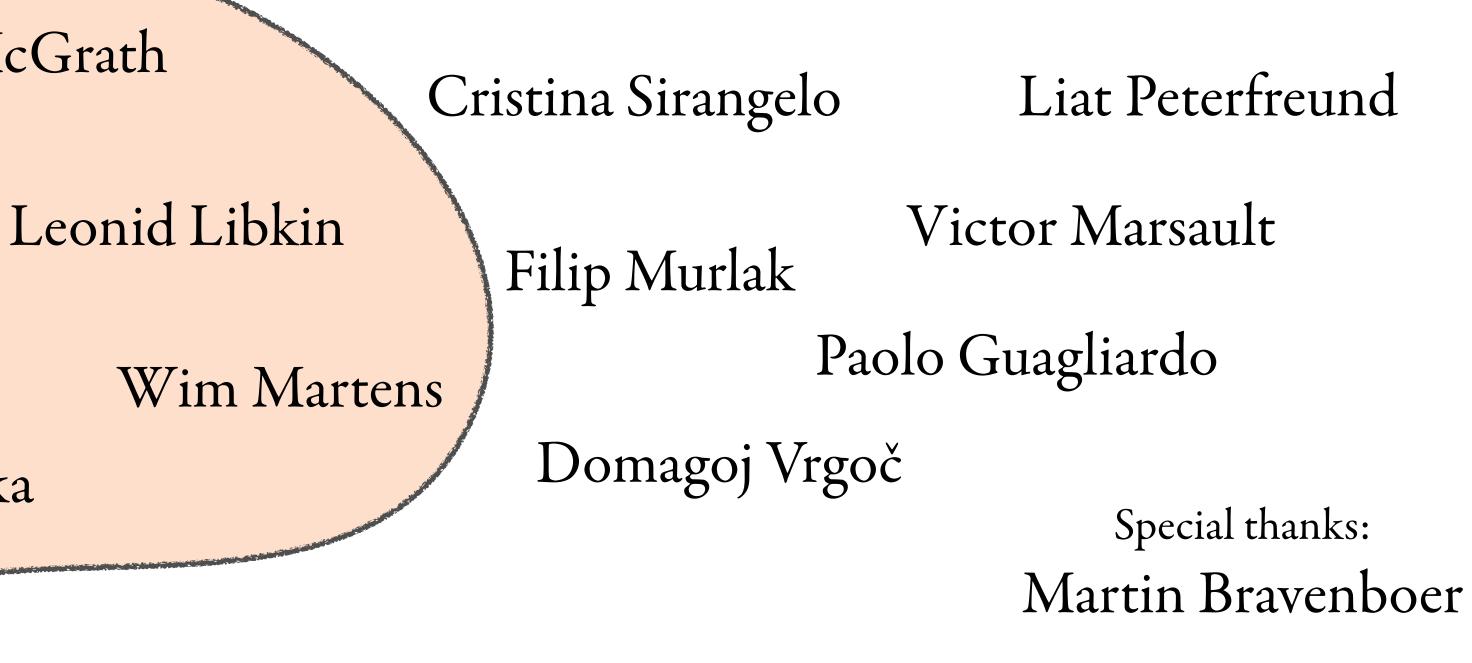
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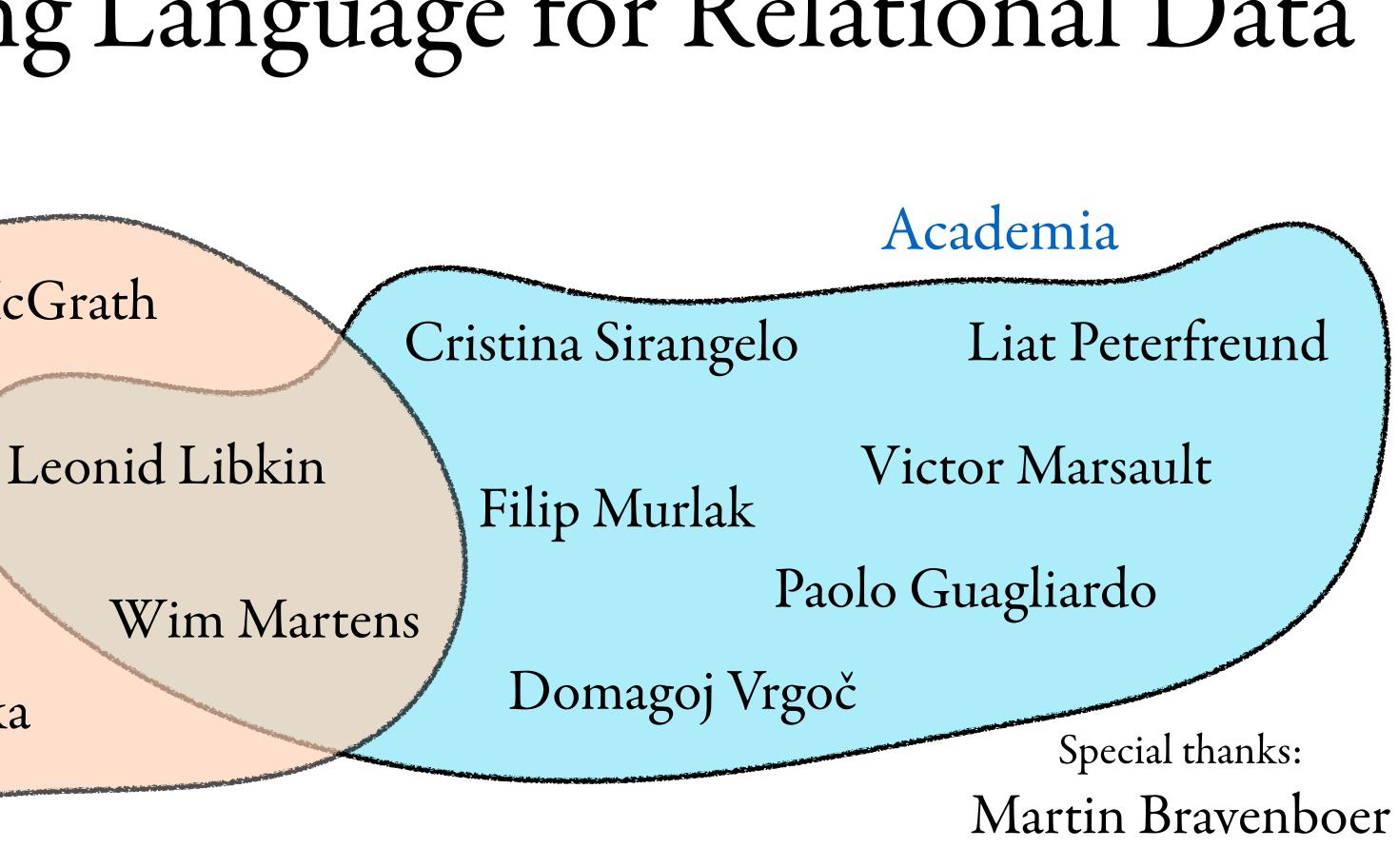
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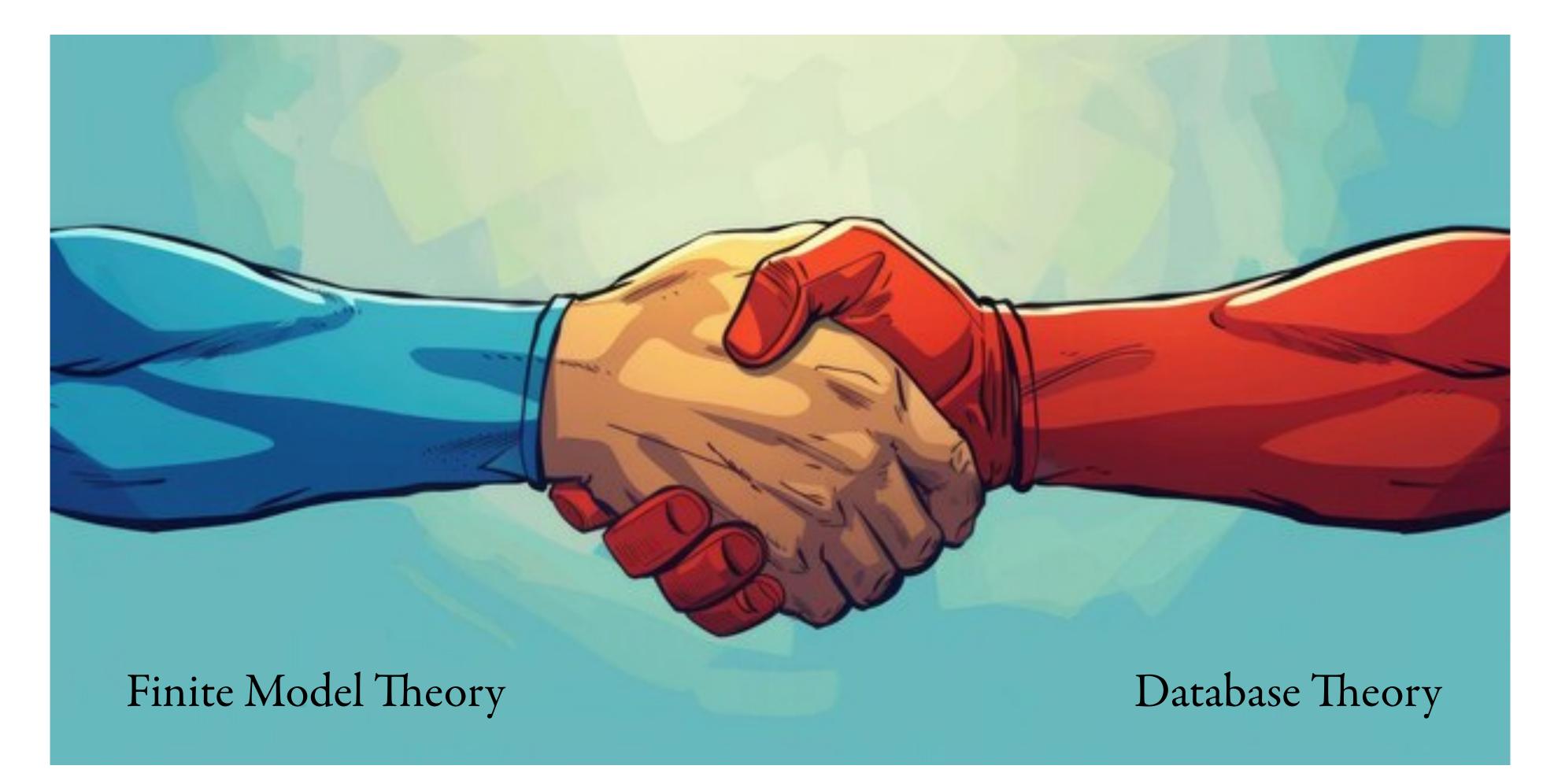
**relational**AI



FMT 2025



## Why I Think You Should Be Excited



## Database Research Landscape







## Database Research Landscape







why?



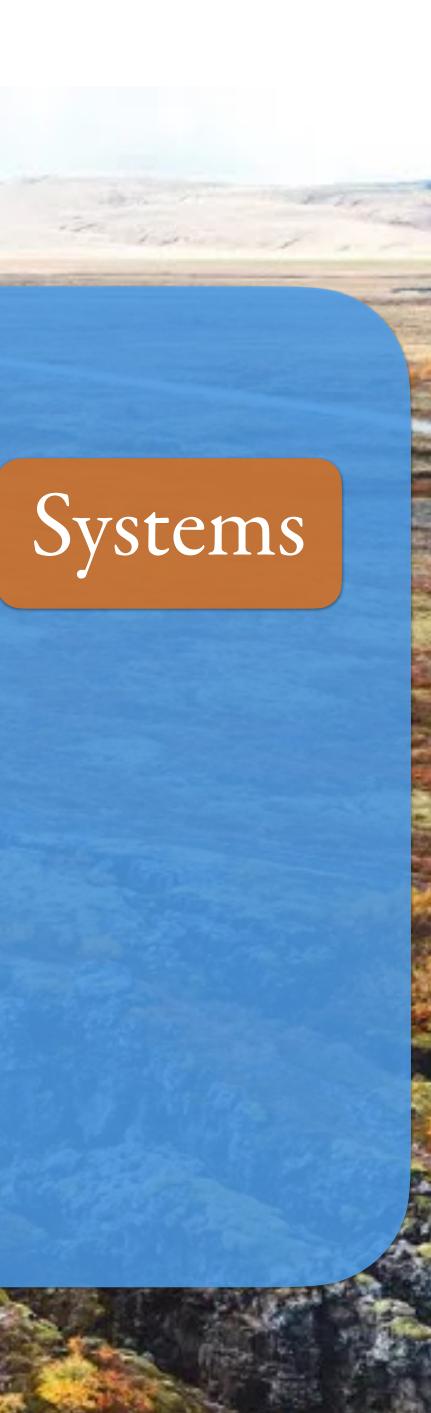
## Database Research Landscape

divide

why?



### Sets



### Bags (Multisets)

the second in the second in the

## What Can You Do, If...

### ...You Build a Database (and More) Engine

- From the ground up -
- -
  - Set semantics!

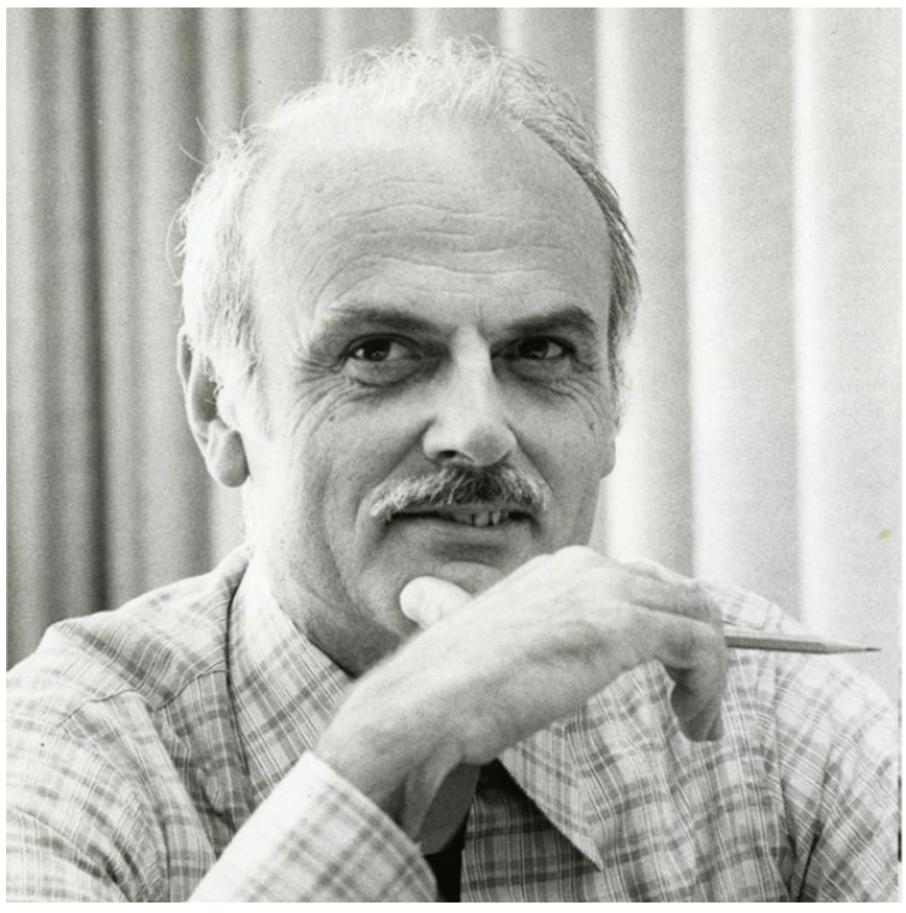
#### relational<u>AI</u>

### From the principles that the theory community believes are the right ones

# 



## Databases: The Origin Story



We use the term data sublanguage (rather than language) because we are not concerned with general processing (or the capability of computing all computable functions). Instead, we wish to focus on only those language components which support storage and retrieval of formatted data from large shared data bases.

(Image: IBM, fair use)

#### relational<u>A</u>

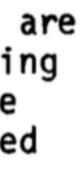
#### 1971:

#### A DATA BASE SUBLANGUAGE FOUNDED ON THE RELATIONAL CALCULUS

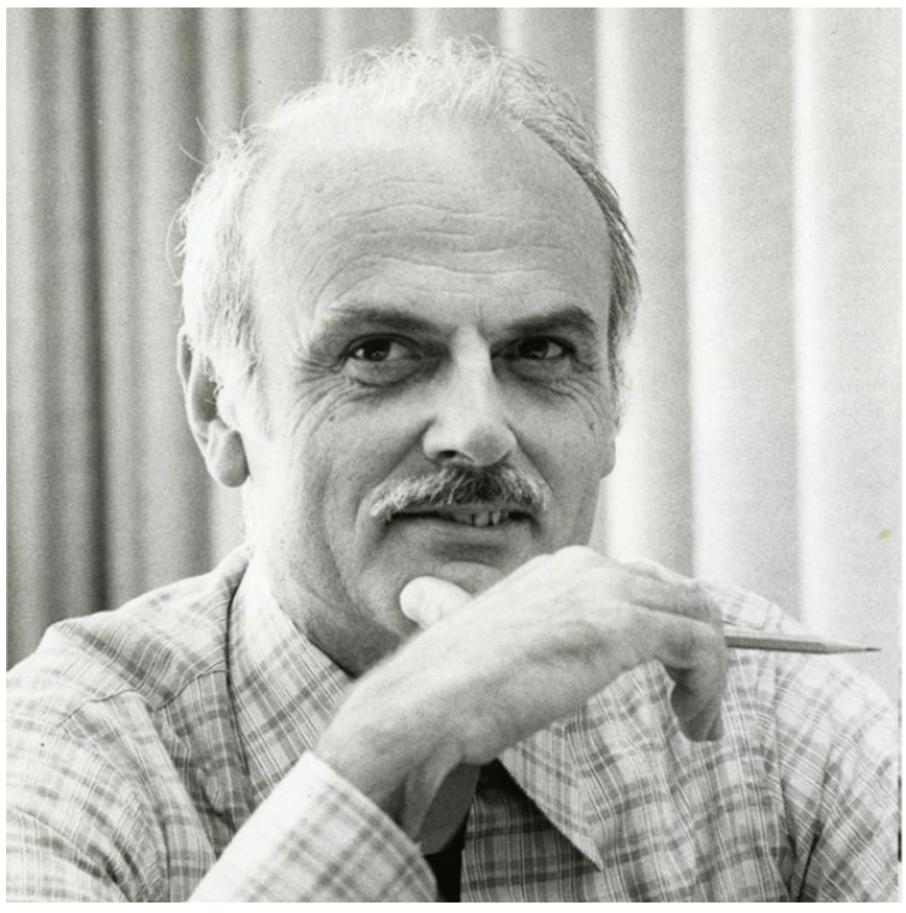
by

E. F. Codd IBM Research Laboratory San Jose, California





## Databases: The Origin Story



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#### relational<u>A</u>

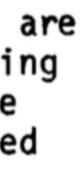
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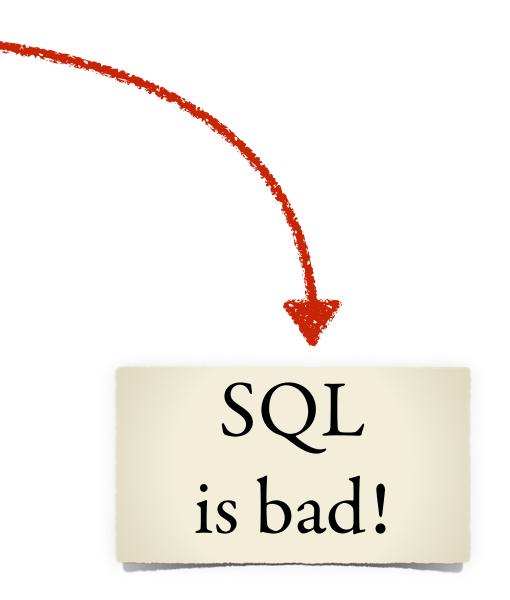


We use the term <u>data sublanguage</u> (rather than language) because we are not concerned with general processing (or the capability of computing all computable functions). Instead, we wish to focus on only those language components which support storage and retrieval of formatted data from large shared data bases.

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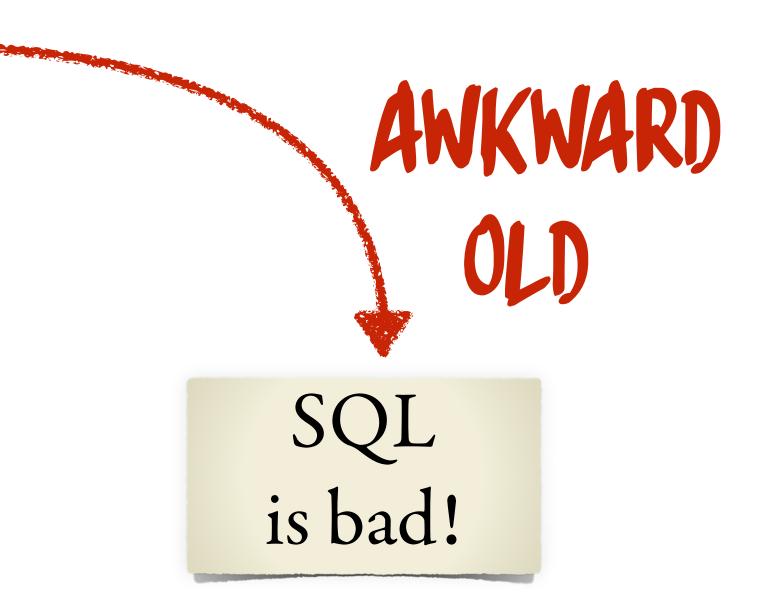


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## SLOW ON GRAPHS AWKWARD OLD) SQL is bad!



SQL is great!



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New startups Lots of \$\$\$



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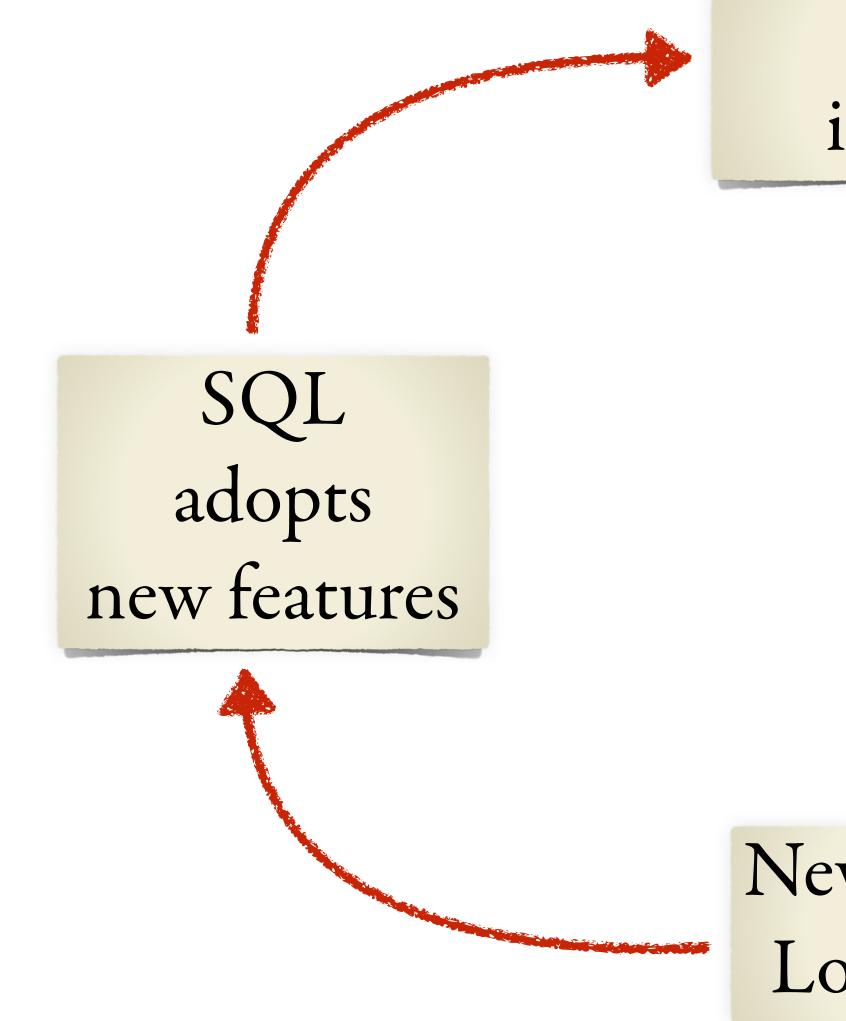
SQL adopts new features



## SLOW ON GRAPHS AWKWARD OLD) SQL is bad!

New startups Lots of \$\$\$



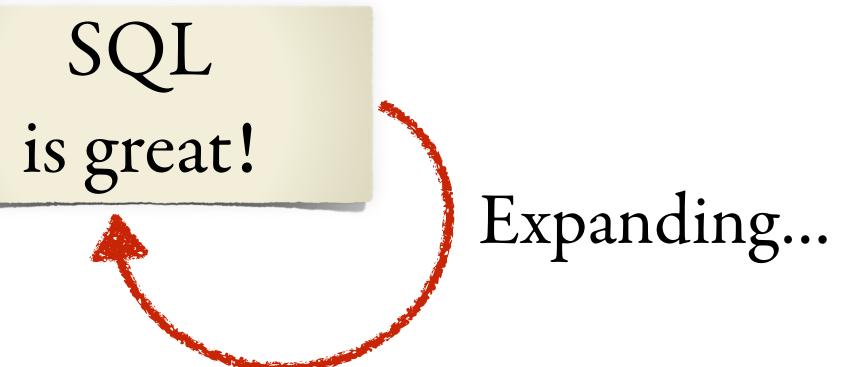


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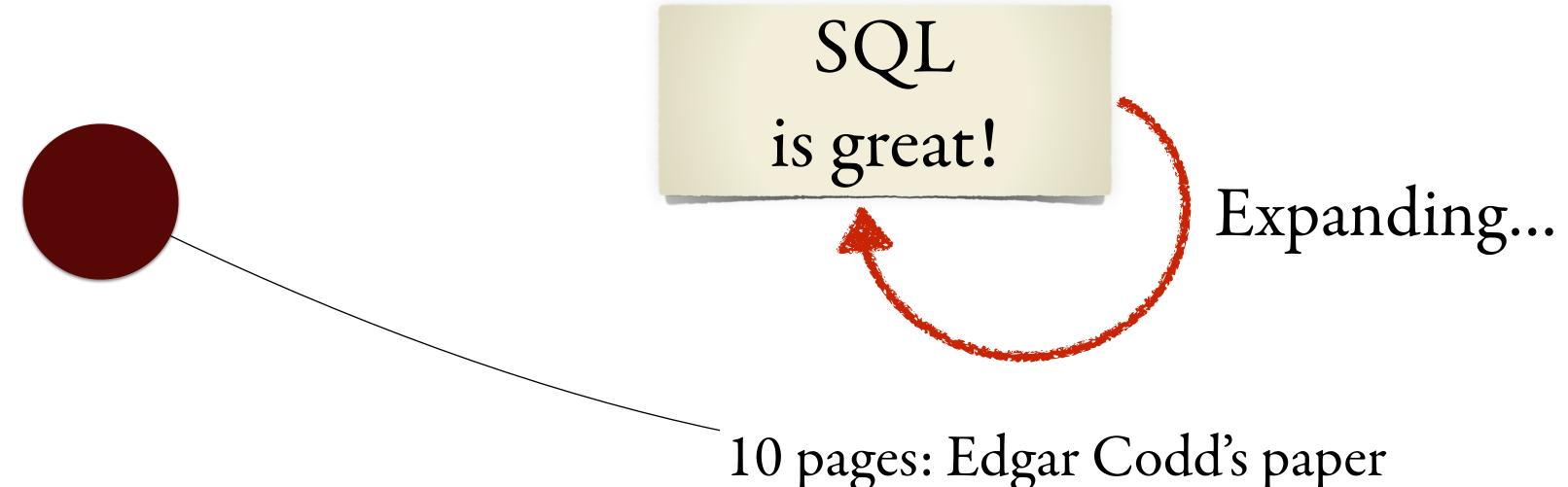
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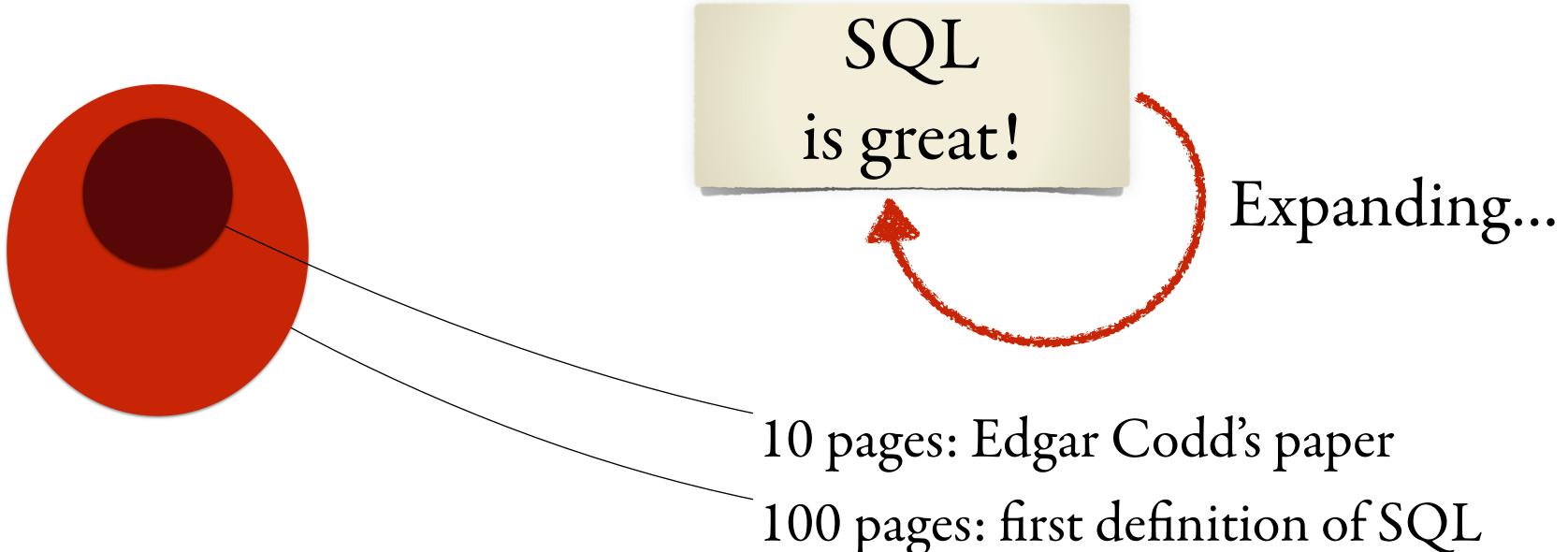




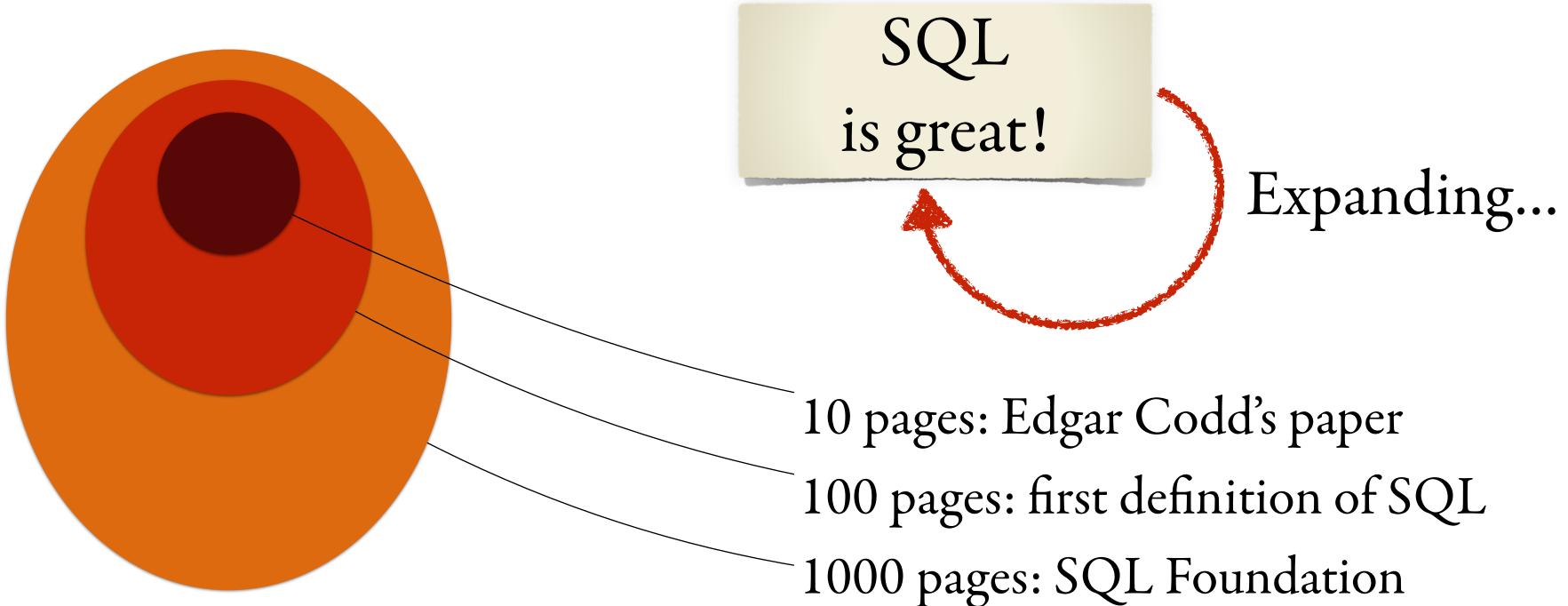




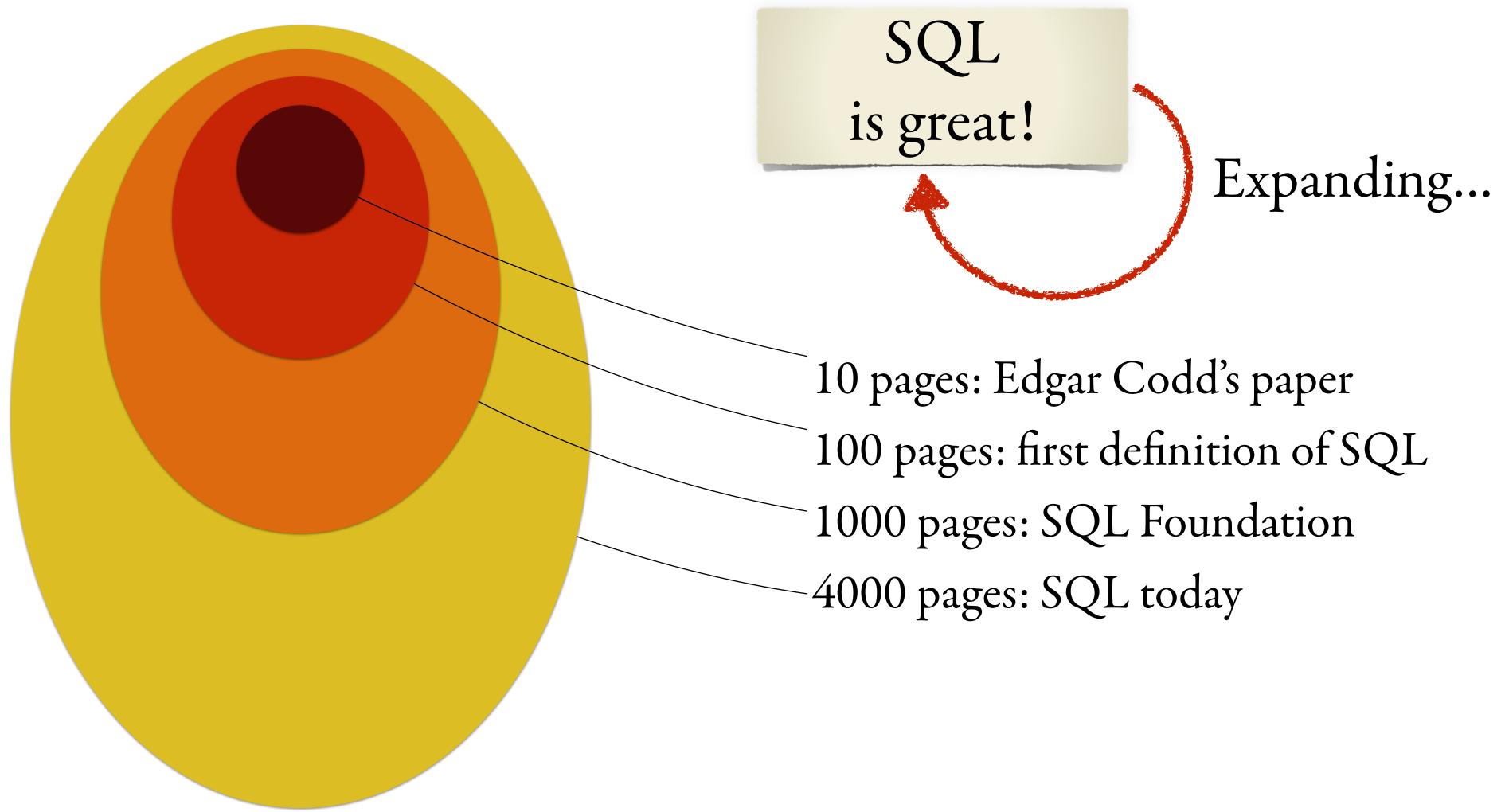






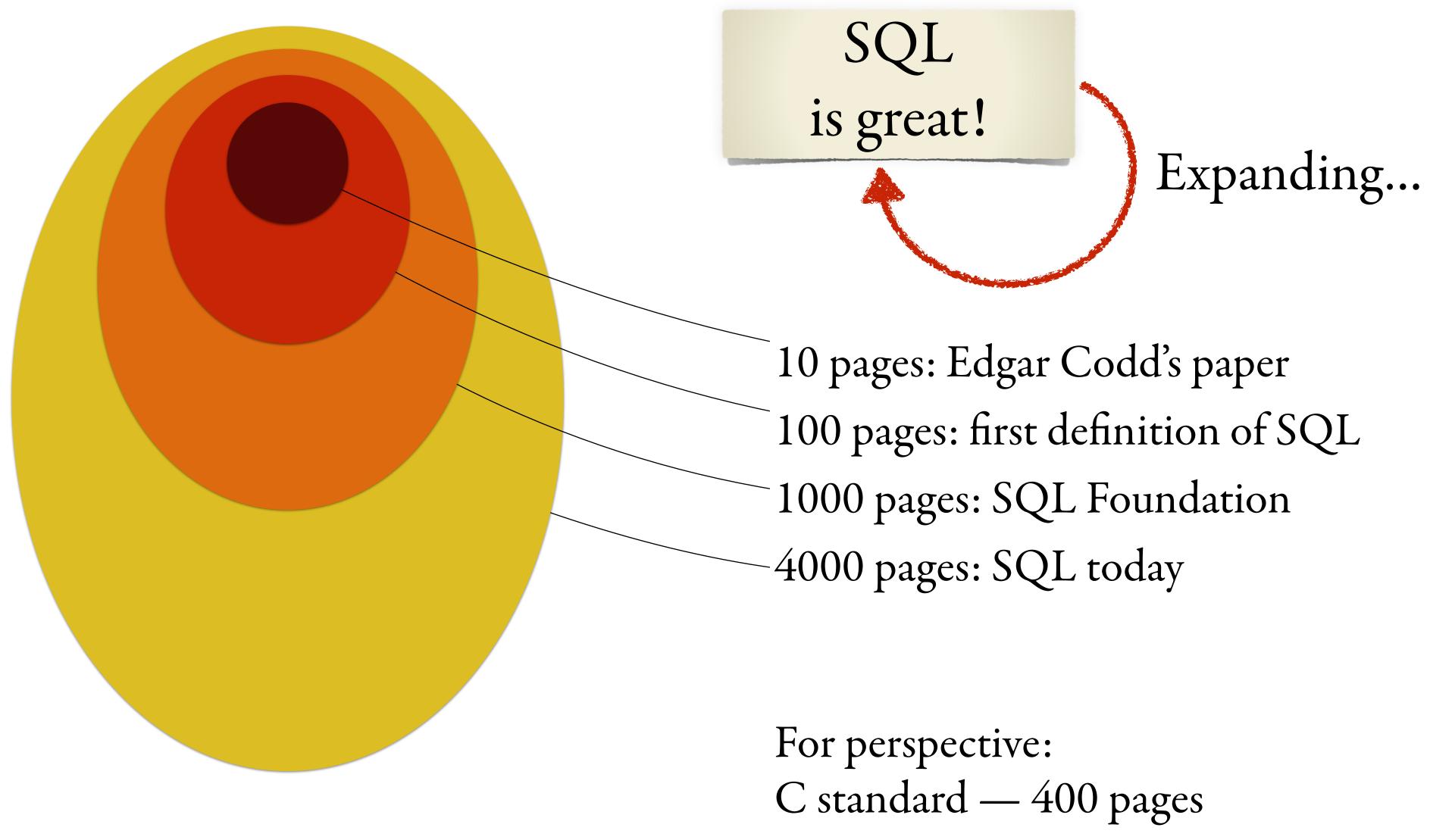






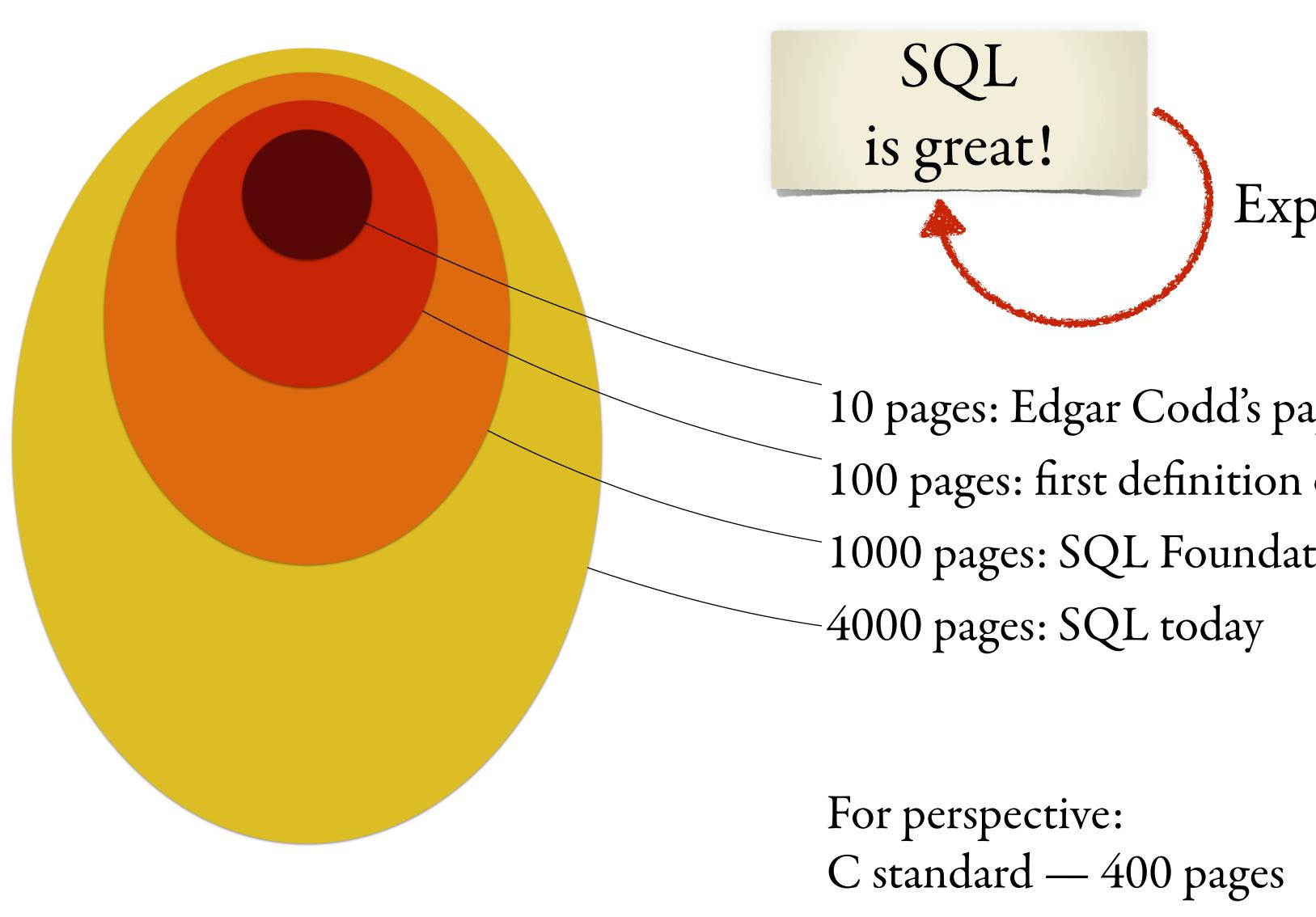


## What Goes Around Comes Around



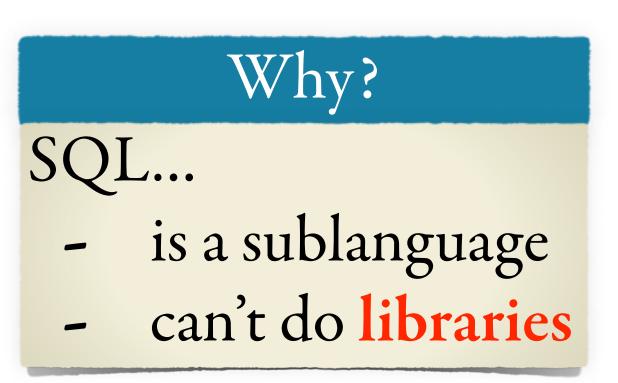


## What Goes Around Comes Around



10 pages: Edgar Codd's paper 100 pages: first definition of SQL 1000 pages: SQL Foundation

Expanding...





#### Can we design...

...a query / programming language based on the tried and trusted DB principles

- being declarative
- using the relational model
  - with set semantics (!)

but can do full-fledged programming, including libraries



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#### This would be nice, because...



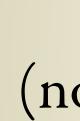
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Database engine

can do query optimization everywhere (not just over the database part of applications)



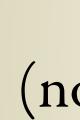
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### This would be nice, because...



Database engine

can do query optimization everywhere (not just over the database part of applications)

Why is this a real advantage?





the first the same to be a set of the same the same to be same as an and the same



### Database

### Business Logic



### Database

#### Query Language

- declarative

. . .

- (serious!) query optimization
- automatic parallelization
- automatic out-of-core computation

### Business Logic



in

### Database

#### Query Language

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. . .

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### Business Logic

#### General Purpose Language

- usually imperative
- invisible to your query optimizer



### Database

#### Query Language

- declarative
- (serious!) query optimization
- automatic parallelization
- automatic out-of-core computation

### Let's bring this together!

### Business Logic

General Purpose Language

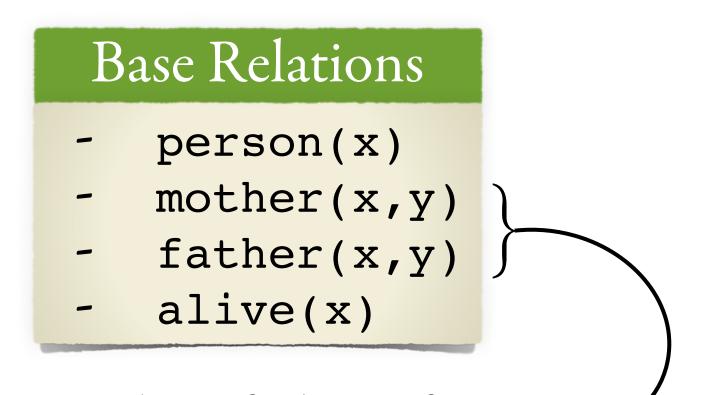
- usually imperative
- invisible to your query optimizer



### Rel: A Programming Language for Relational Data









Rel code:

the mother/father of x is y -





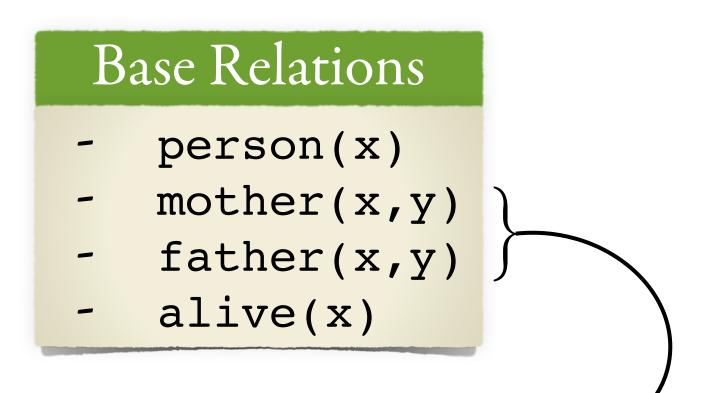
relational<u>AI</u>

#### def parent(x,y) : mother(x,y) or father(x,y)

#### Ingredients

- Datalog rules -
- FO in the bodies -







the mother/father of x is  $y \leftarrow$ 



def grandparent(x,y) :

def orphan(x) :





#### relational<u>AI</u>

#### def parent(x,y) : mother(x,y) or father(x,y)

#### Ingredients

- Datalog rules \_
- FO in the bodies

#### exists ((z) | parent(x,z) and parent(z,y))

#### person(x) and forall ((p) parent(x,p) implies not alive(p))





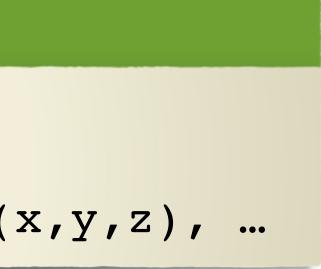
### Infinite Relations

#### Infinite Relations

Int(x), ... ->, =, >=, ... add(x,y,z), multiply(x,y,z), modulo(x,y,z), ... -

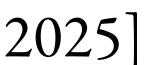


#### relational<u>AI</u>



Safety of Rel is non-trivial [Guagliardo et al. ICDT 2025]





### Infinite Relations

#### Infinite Relations

Int(x), ... ->, =, >=, ... add(x,y,z), multiply(x,y,z), modulo(x,y,z), ... -

#### def add inverse(x,y) : add(x,y,0)





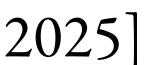
#### relational<u>A</u>



#### def add inverse(x,y) : x + y = 0

### Safety of Rel is non-trivial [Guagliardo et al. ICDT 2025]





#### Infinite Relations

Int(x), ... ->, =, >=, ... add(x,y,z), multiply(x,y,z), modulo(x,y,z), ...

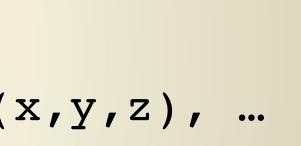
#### def add inverse(x,y) : add(x,y,0)

### Equivalent:

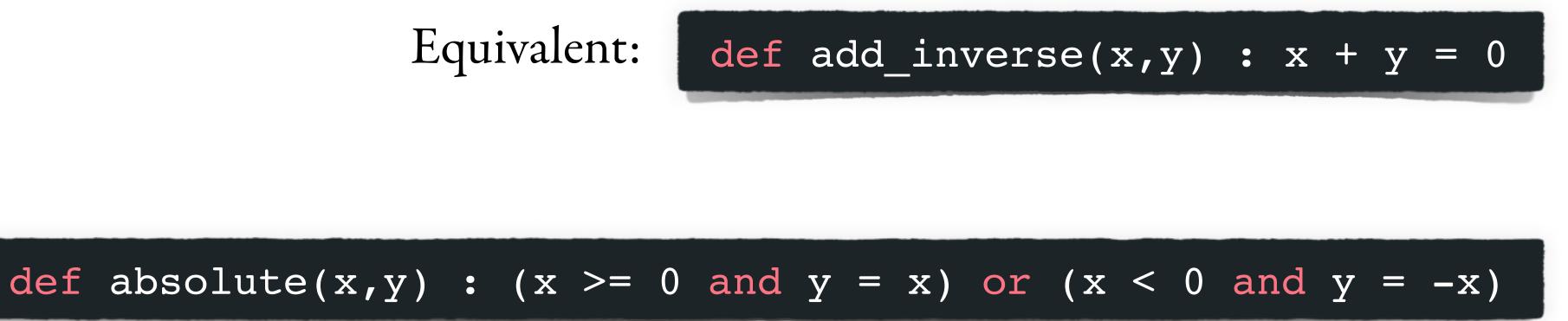




relational<u>A</u>

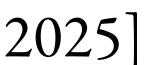






Safety of Rel is non-trivial [Guagliardo et al. ICDT 2025]





### Rel Recursion

#### def ancestor(x,y) : parent(x,y) def ancestor(x,y) : exists ((z) | parent(x,z) and ancestor(z,y))

#### relational<u>AI</u>



(Also: non-linear recursion)







### What is added to enable programming in the large?

#### relational<u>Al</u>

### Warming up





#### Tuple Variables



#### Tuple Variables

#### relational<u>AI</u>

#### Relation Variables



#### Tuple Variables

Relational Application

#### relational<u>AI</u>

#### Relation Variables



#### Tuple Variables

Relational Application

#### relational<u>AI</u>

#### Relation Variables

#### Abstraction



#### Tuple Variables

Relational Application

So, let's look at some code examples Details ---> the paper

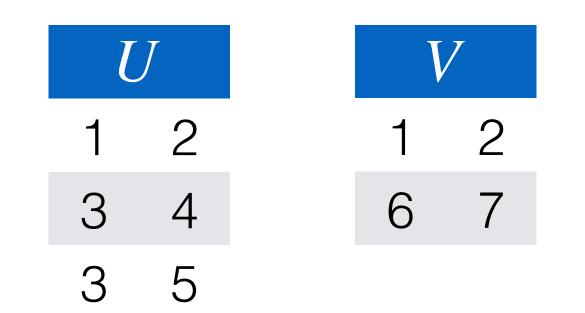
#### relational<u>AI</u>

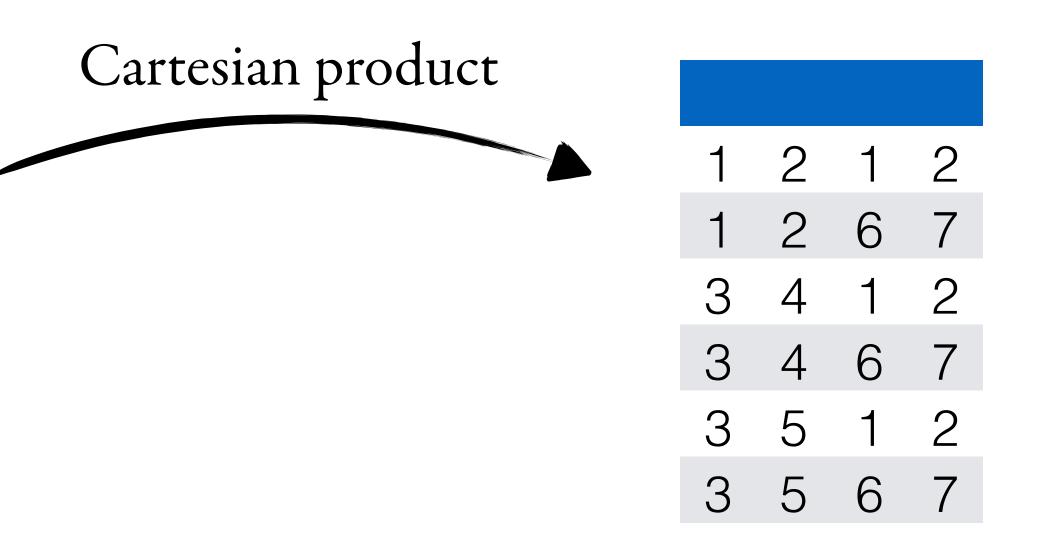
#### Relation Variables

#### Abstraction



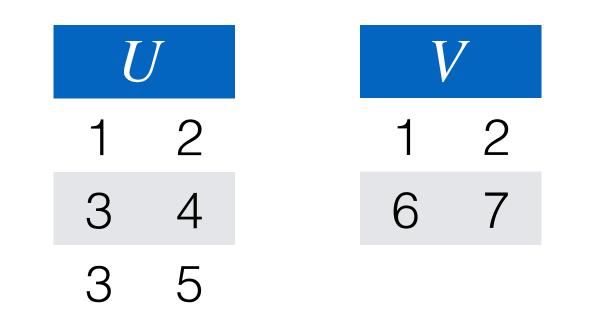
How do we write generally applicable code?



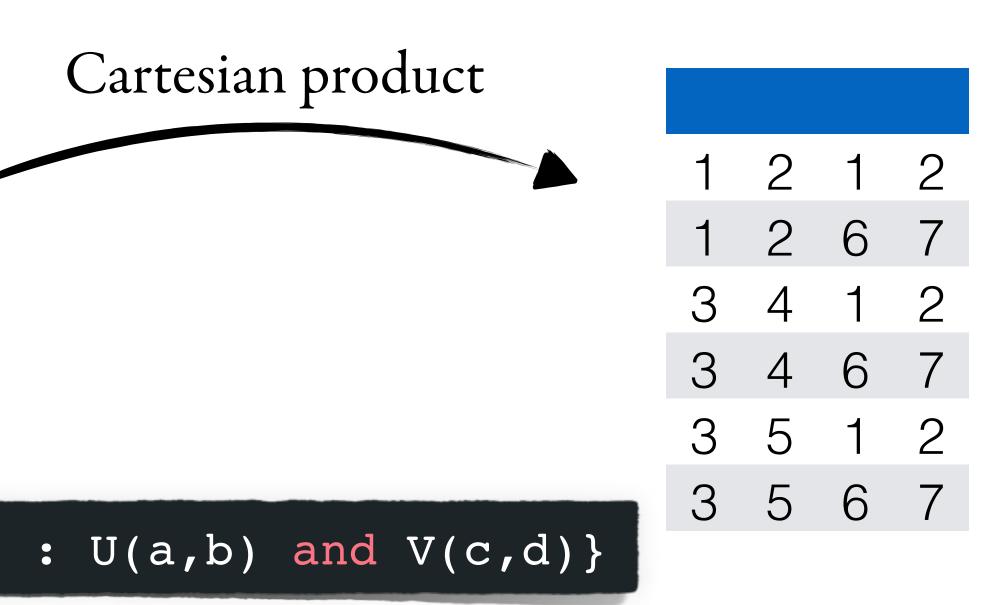




How do we write generally applicable code?

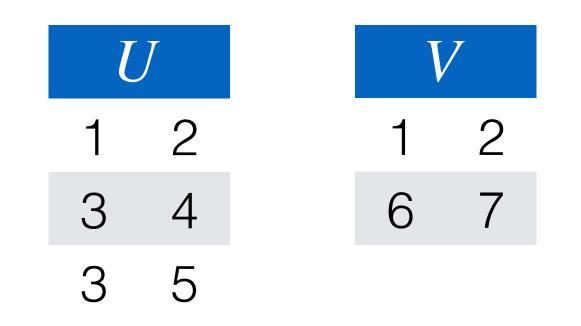


def ProductUV {(a,b,c,d) : U(a,b) and V(c,d)}



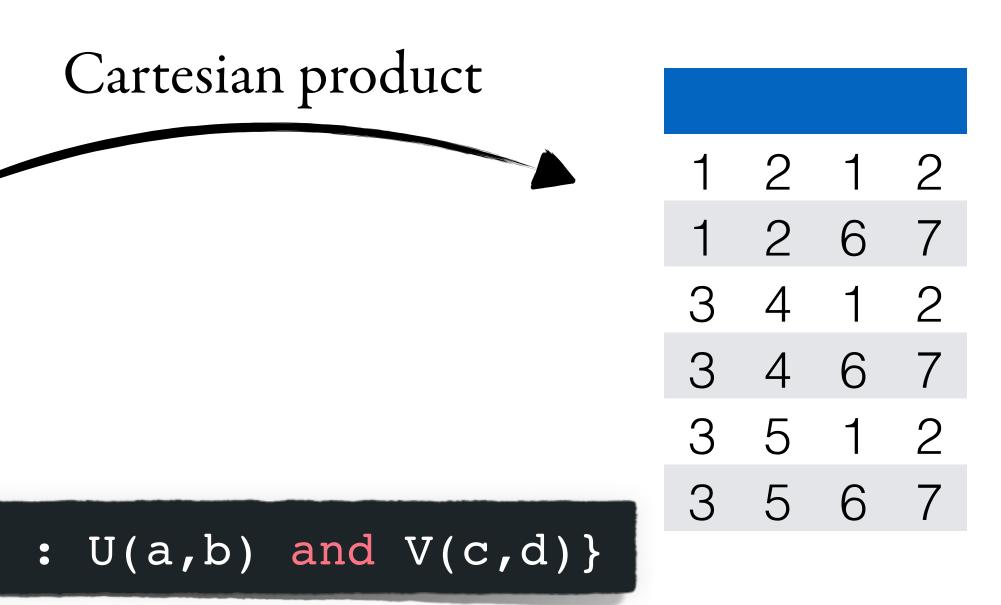


How do we write generally applicable code?



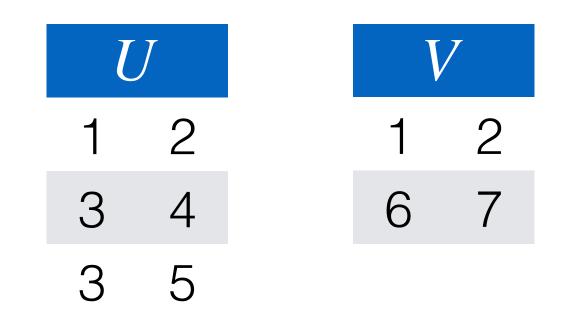
def ProductUV {(a,b,c,d) : U(a,b) and V(c,d)}

But what if V is ternary?





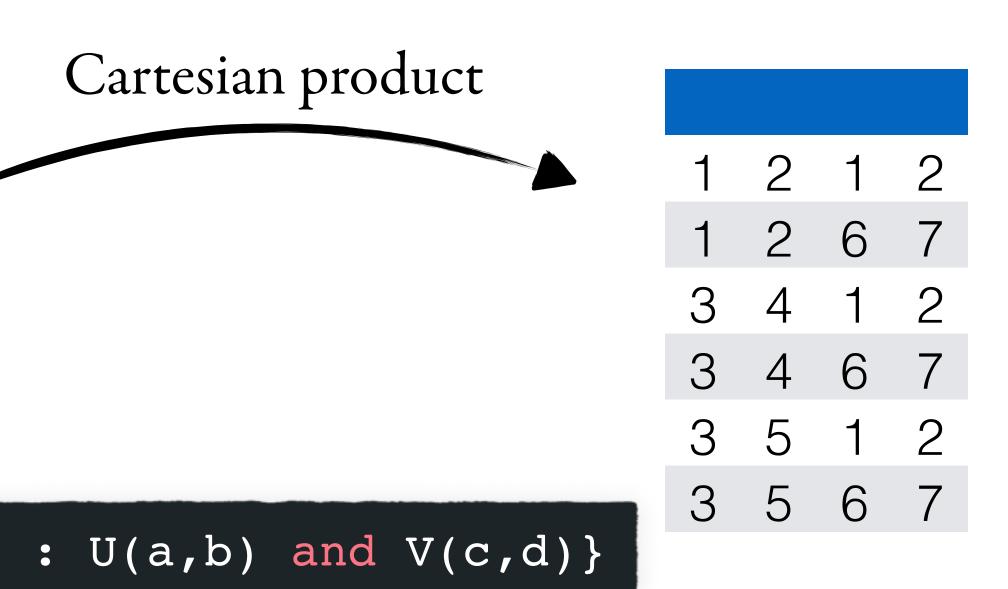
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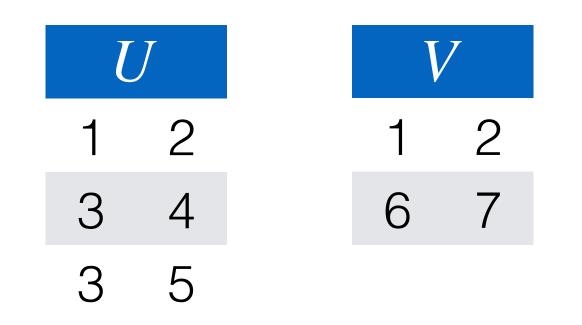
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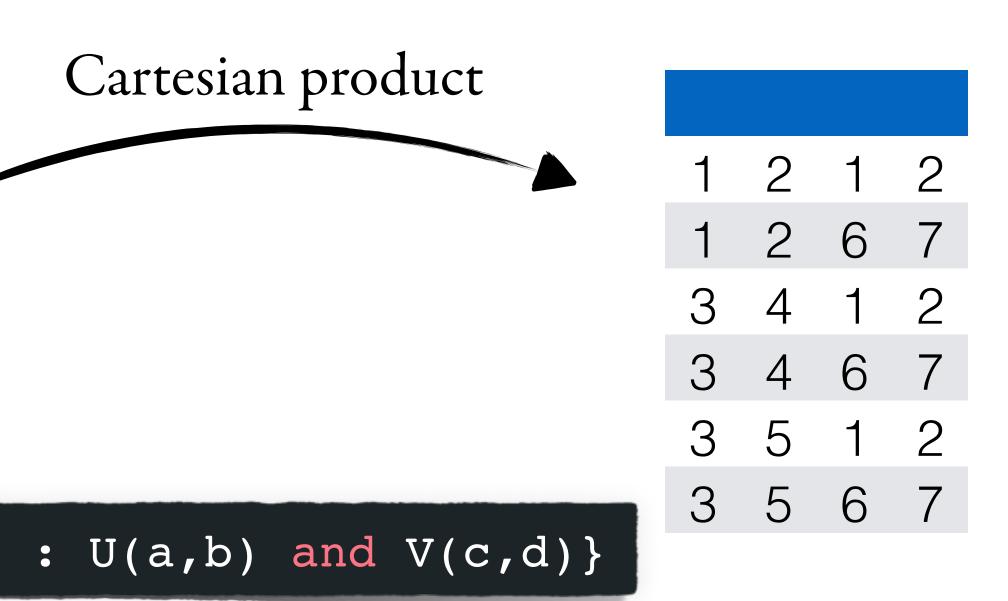


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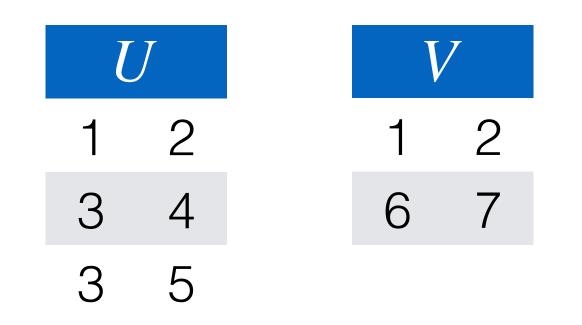
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This is both tedious and not generally applicable. Solution:





How do we write generally applicable code?



def ProductUV {(a,b,c,d) : U(a,b) and V(c,d)}

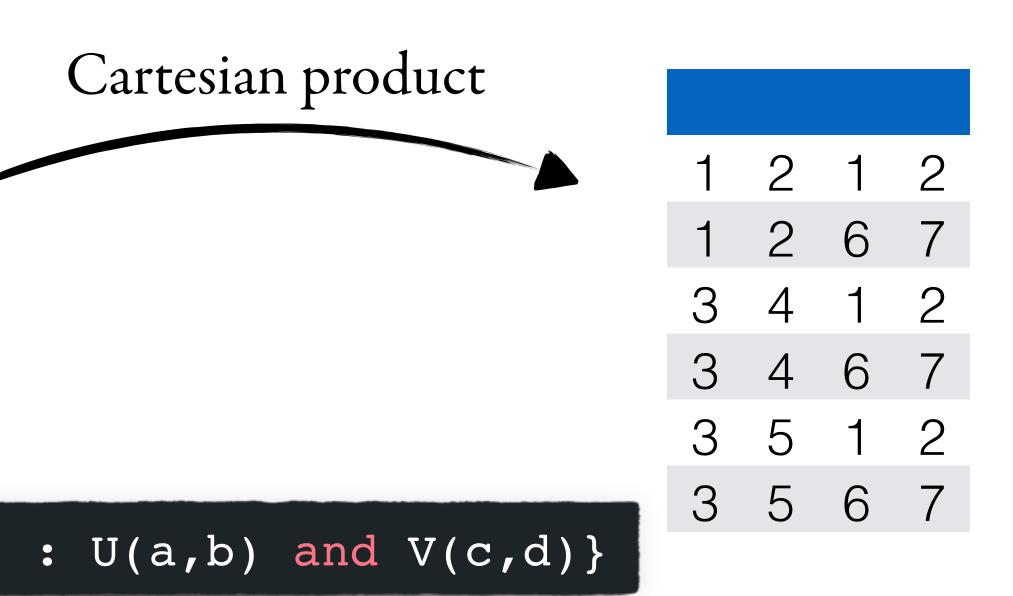
But what if V is ternary?

def ProductUV {(a,b,c,d,e) : U(a,b) and V(c,d,e)}

This is both tedious and not generally applicable. Solution:

def ProductUV {(x..., y...) :

Tuple variables bind to "sequences" of values (subtuples)





def ProductUV  $\{(x..., y...) : U(x...) and V(y...)\}$ 

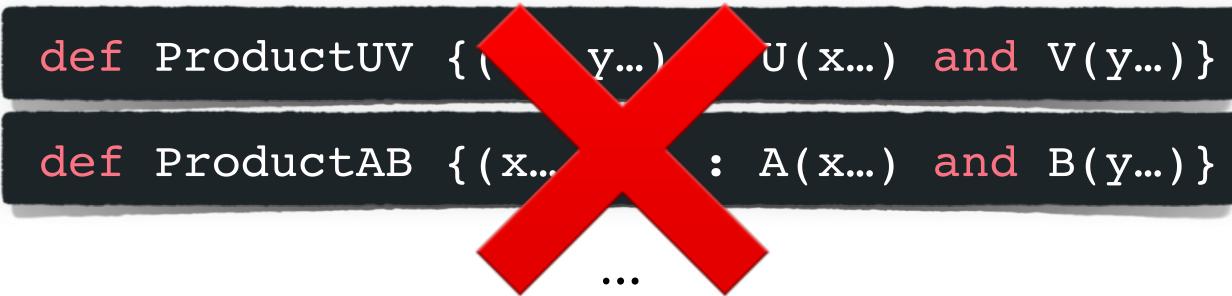


def ProductUV  $\{(x..., y...) : U(x...) and V(y...)\}$ 

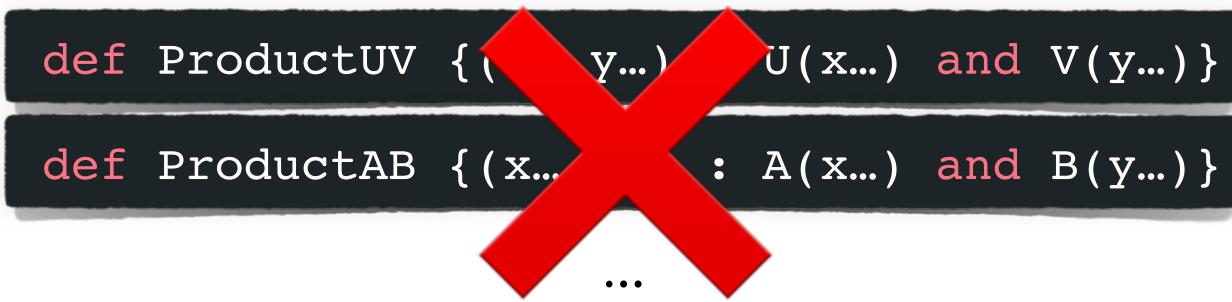
def ProductAB {(x..., y...) : A(x...) and B(y...)}

• • •





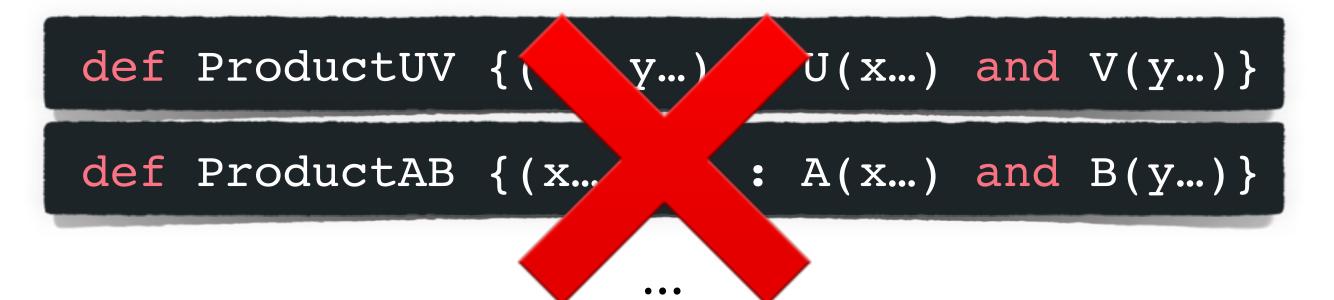




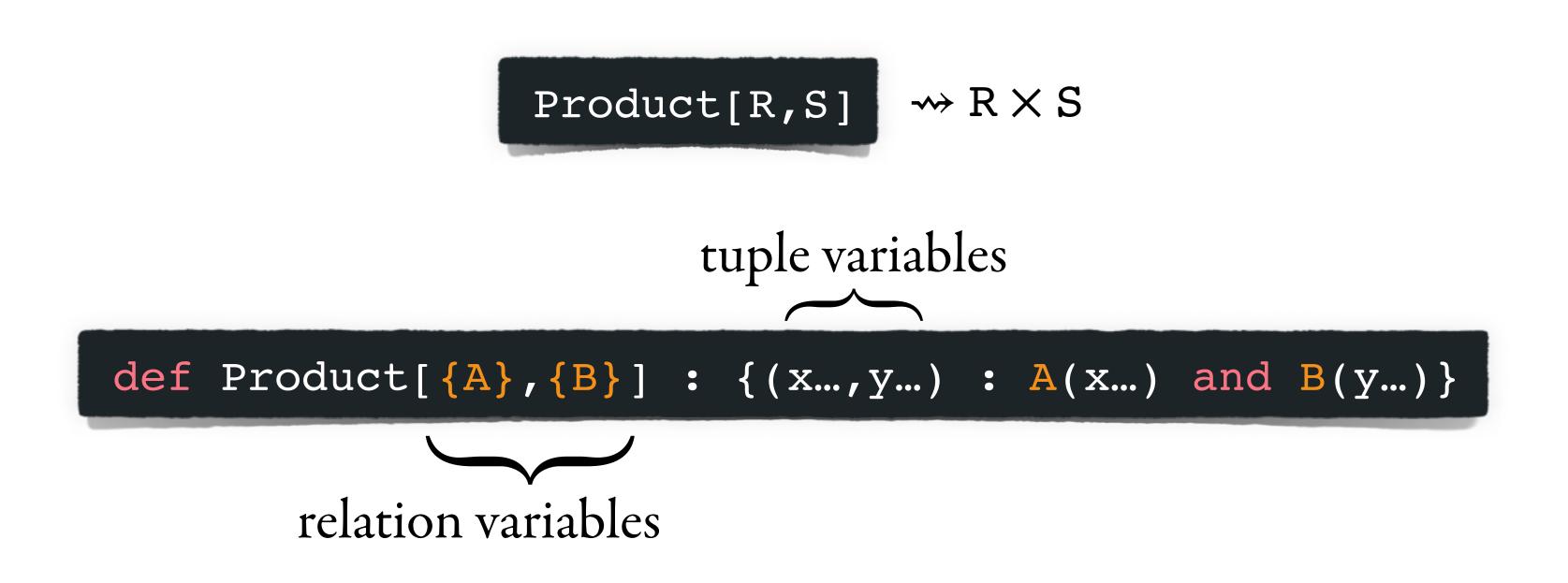


 $\rightsquigarrow R \times S$ 





#### Cartesian Product





# Intermezzo: "Everything is a Relation" relational

def Product({A}, {B}, x..., y...) : A(x...) and B(y...)



# Intermezzo: "Everything is a Relation" relational

def Product({A}, {B}, x..., y...) : A(x...) and B(y...)

Product					
{0}	{0}	0	0		
{0}	{(0,0)}	0	0	0	
$\{(0,0)\}$	{0}	0	0	0	
$\{(0,0),(0,1)\}$	{(1,2)}	0	0	1	2
$\{(0,0),(0,1)\}$	{(1,2)}	0	1	1	2

#### A second-order relation with

infinitely many rows

. . .

infinitely many columns 



### , relational<u>Al</u> Intermezzo: "Everything is a Relation"

def Product({A}, {B}, x..., y...) : A(x...) and B(y...)

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#### A second-order relation with

infinitely many rows

. . .

infinitely many columns \_

#### Observations

- Users are not exposed to higher-order relations -
  - the output is always first-order
- Relations in Rel don't need a uniform arity



#### Parent

alice	cindy
john	debby
john	bob



#### Parent

alice	cindy
john	debby
john	bob

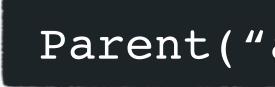


Parent("alice","cindy")



#### Parent

alice	cindy
john	debby
john	bob

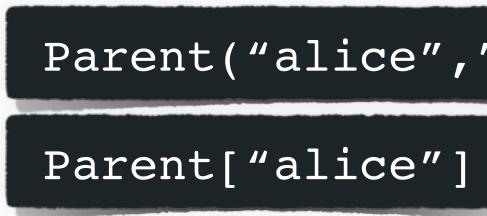


Parent("alice","cindy")

→ true



#### Parent cindy alice debby john john bob

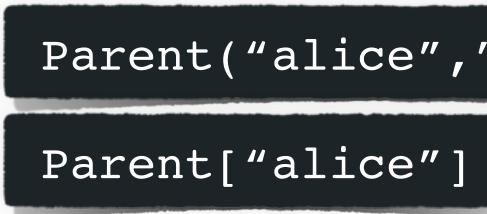


Parent("alice","cindy")

→ true



#### Parent alice cindy debby john john bob



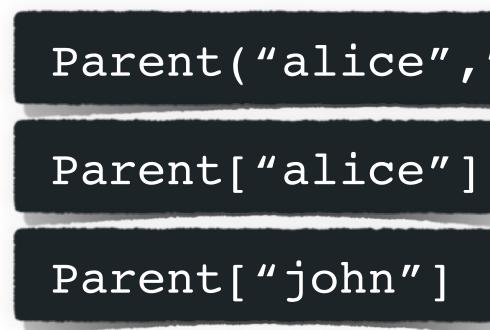
Parent("alice","cindy")

→ true

 $\rightsquigarrow$  {"cindy"}



Par	ent
alice	cindy
john	debby
john	bob



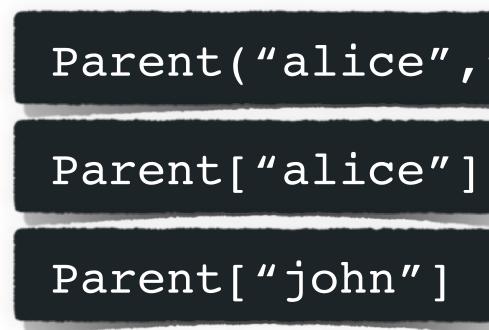
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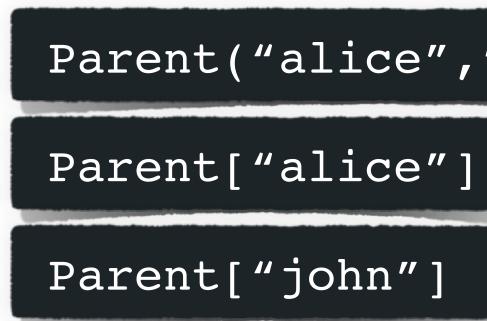


# Parent("alice","cindy")

- → true
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alice	cindy
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john	bob



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{0}	{0}	0	0		
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. . .

# Parent("alice","cindy")

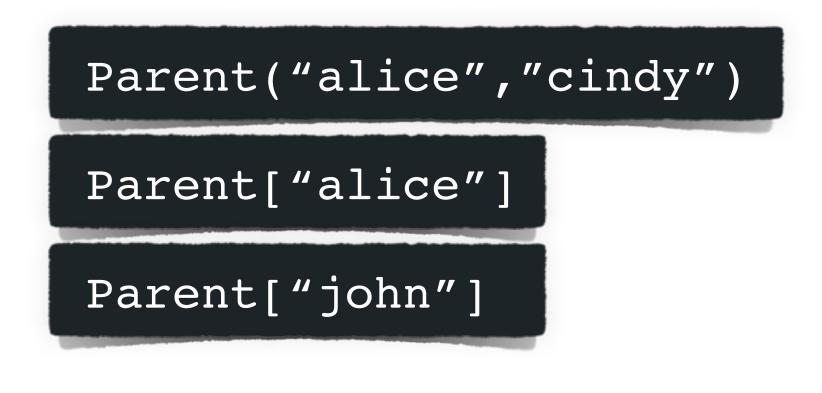
#### → true

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Parent				
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john	debby			
john	bob			



Product					
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. . .

- → true
- $\rightsquigarrow$  {"cindy"}
- → {"debby", "bob"}

Product[U,V]

---> the Cartesian product of U and V



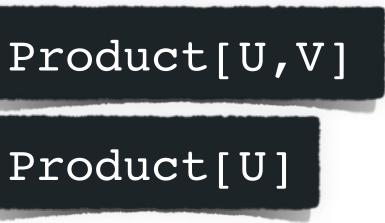
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. . .

- → true
- $\rightarrow$  {"cindy"}
- → {"debby", "bob"}



 $\rightarrow$  the Cartesian product of U and V



Parent			
alice	cindy		
john	debby		
john	bob		

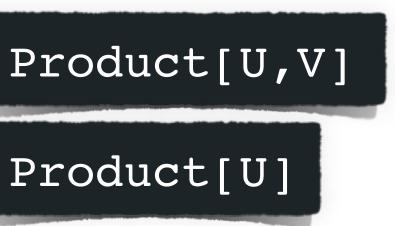


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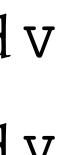
. . .

- → true
- $\rightarrow$  {"cindy"}
- $\rightarrow$  {"debby", "bob"}

→ the Cartesian product of U and V  $\rightarrow$  maps any V to the product of U and V







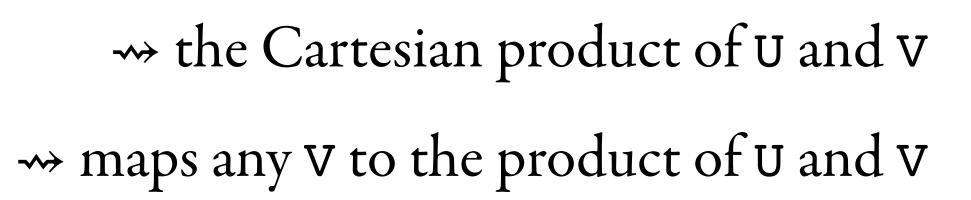
Parent			
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john	debby		
john	bob		

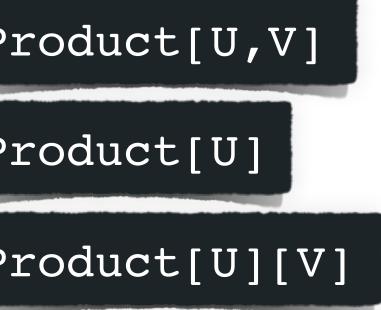


	Prod	luct			
{0}	{0}	0	0		
{0}	$\{(0,0)\}$	0	0	0	
$\{(0,0)\}$	{0}	0	0	0	
$\{(0,0),(0,1)\}$	{(1,2)}	0	0	1	2
$\{(0,0),(0,1)\}$	{(1,2)}	0	1	1	2

. . .

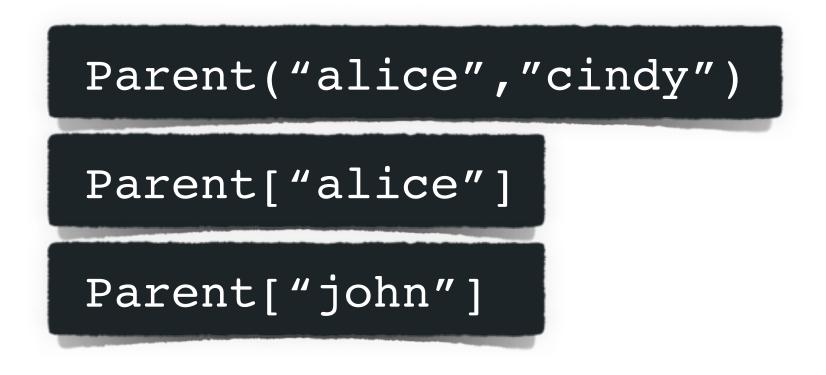
- → true
- $\rightsquigarrow$  {"cindy"}
- → {"debby", "bob"}







Parent			
alice	cindy		
john	debby		
john	bob		



	Prod	luct			
{0}	{0}	0	0		
{0}	$\{(0,0)\}$	0	0	0	
$\{(0,0)\}$	{0}	0	0	0	
$\{(0,0),(0,1)\}$	{(1,2)}	0	0	1	2
$\{(0,0),(0,1)\}$	{(1,2)}	0	1	1	2

. . .

- → true
- $\rightarrow$  {"cindy"}
- $\rightarrow$  {"debby", "bob"}

 $\rightarrow$  the Cartesian product of U and V  $\rightarrow$  maps any V to the product of U and V  $\rightarrow$  the Cartesian product of U and V

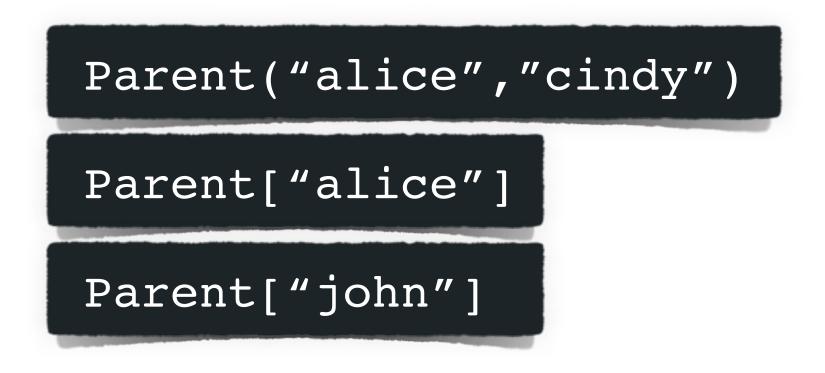


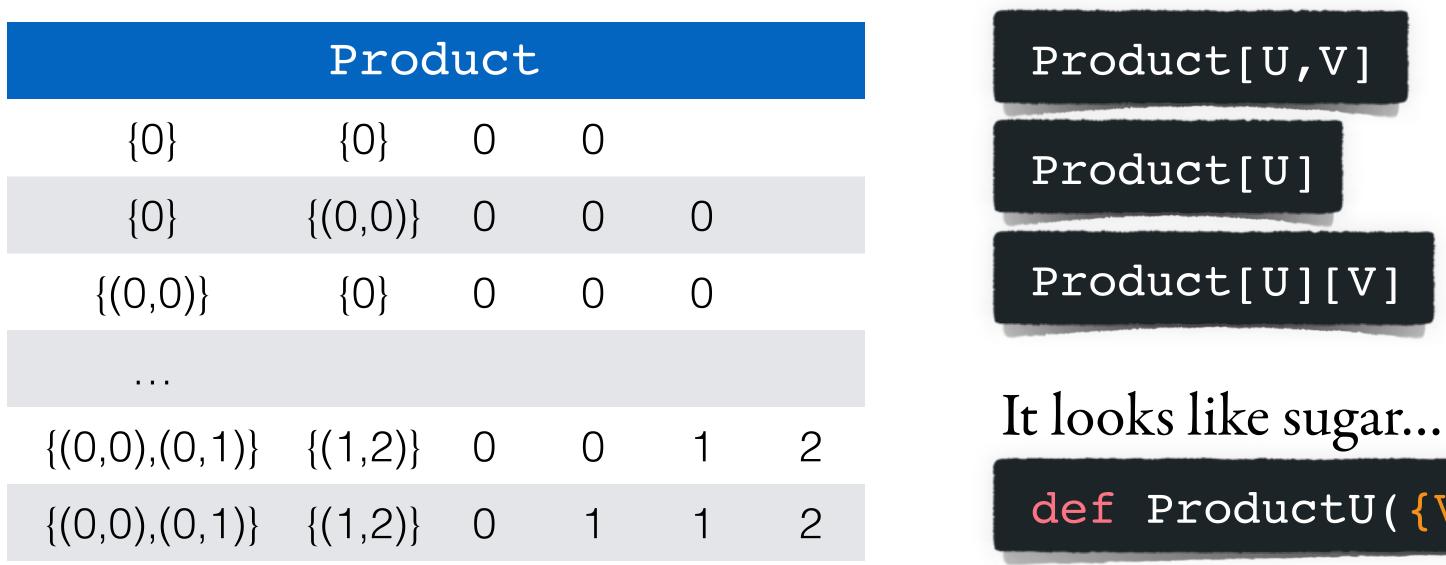




Parent			
alice	cindy		
john	debby		
john	bob		

. . .





- → true
- $\rightsquigarrow$  {"cindy"}
- $\rightsquigarrow$  {"debby", "bob"}

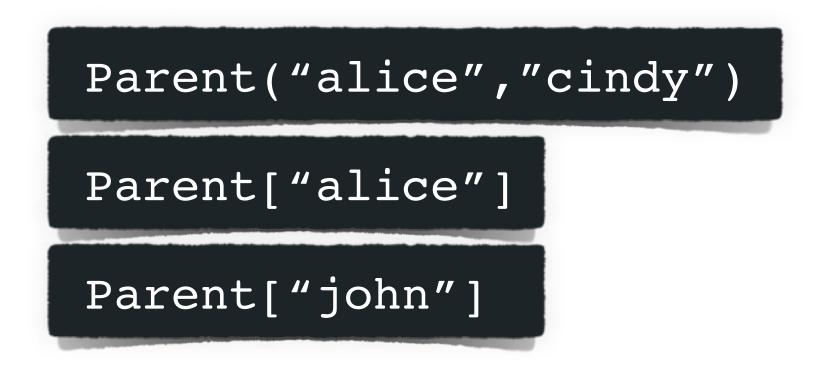
→ the Cartesian product of U and V  $\rightarrow$  maps any V to the product of U and V  $\rightarrow$  the Cartesian product of U and V

def ProductU({V},x...) : Product(U,V,x...)





Parent		
alice	cindy	
john	debby	
john	bob	



I	Product						
			0	0	{0}	{0}	
		0	0	0	{(0,0)}	{0}	
I		0	0	0	{0}	$\{(0,0)\}$	
T.							
It	2	1	0	0	{(1,2)}	$\{(0,0),(0,1)\}$	
C	2	1	1	0	{(1,2)}	$\{(0,0),(0,1)\}$	
bu							

- → true
- $\rightsquigarrow$  {"cindy"}
- $\rightarrow$  {"debby", "bob"}



 $\rightarrow$  the Cartesian product of U and V  $\rightarrow$  maps any V to the product of U and V  $\rightarrow$  the Cartesian product of U and V

oks like sugar...

ProductU( $\{V\}$ , x...) : Product(U, V, x...)

it's not:

Product[U] can occur as a subexpression with free variable U





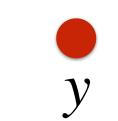


def APSP( $\{V\}, \{E\}, x, y, 0$ ) : V(x) and V(y) and x = y def APSP( $\{V\}, \{E\}, x, y, k$ ) : exists ((z in V) | E(x,z) and APSP[V,E](z,y,k-1)) and and not exists ((j in Int) | j < k and APSP[V,E](x,y,j))



def APSP( $\{V\}, \{E\}, x, y, 0$ ) : V(x) and V(y) and x = y def APSP( $\{V\}, \{E\}, x, y, k$ ) : exists ((z in V) | E(x,z) and APSP[V,E](z,y,k-1)) and and not exists ((j in Int) | j < k and APSP[V,E](x,y,j))

 $\cdot \dots \rightarrow \text{shortest path has length 0:}$ 

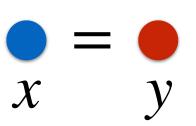




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 $\cdot \dots \rightarrow \text{shortest path has length 0} : \bigcirc = \bigcirc$ 

### exists ((z in V) | E(x,z) and APSP[V,E](z,y,k-1)) and and not exists ((j in Int) | j < k and APSP[V,E](x,y,j))



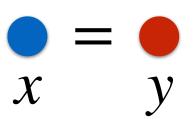


def APSP( $\{V\}, \{E\}, x, y, 0$ ) : V(x) and V(y) and x = y def APSP( $\{V\}, \{E\}, x, y, k$ ) :

 $\cdots$  shortest path has length 0 :  $\bigcirc = \bigcirc$ 

••••• shortest path has length k:

### exists ((z in V) | E(x,z) and APSP[V,E](z,y,k-1)) and and not exists ((j in Int) | j < k and APSP[V,E](x,y,j))



 $\mathcal{X}$ 

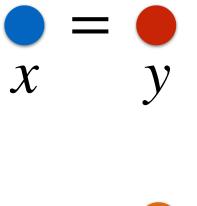




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 $\cdots$  shortest path has length 0 :  $\bigcirc = \bigcirc$ 

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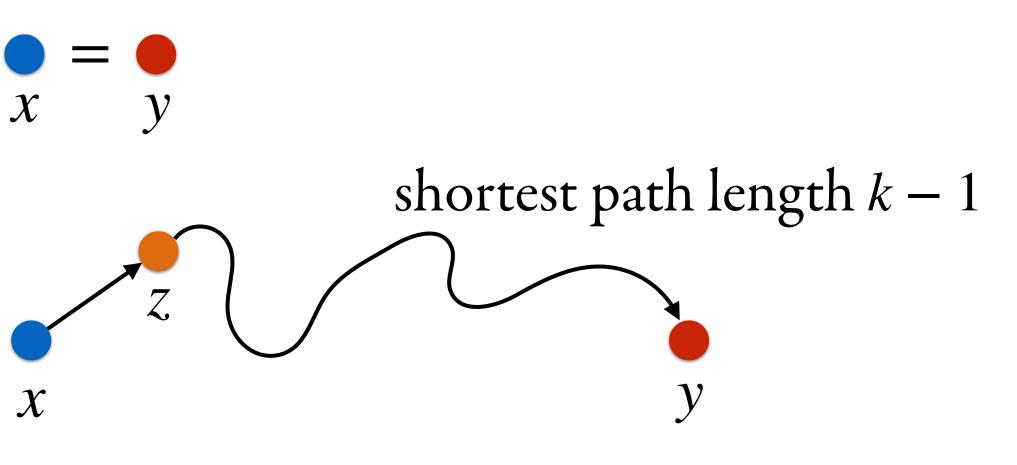


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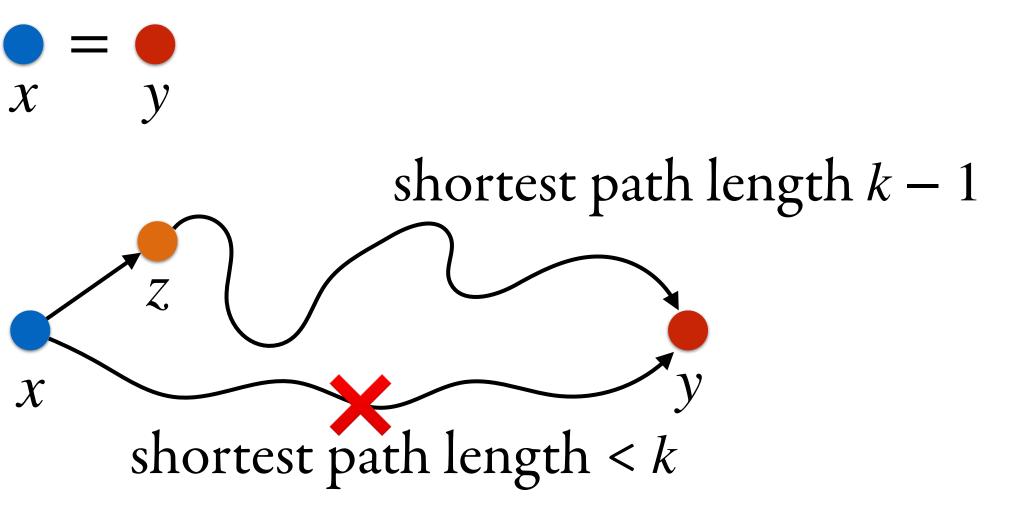




def APSP( $\{V\}, \{E\}, x, y, 0$ ) : V(x) and V(y) and x = y def APSP( $\{V\}, \{E\}, x, y, k$ ) : exists ((z in V) | E(x,z) and APSP[V,E](z,y,k-1)) and and not exists ((j in Int) | j < k and APSP[V,E](x,y,j))

 $\bullet$  shortest path has length 0 :  $\bullet = \bullet$ 

••••• shortest path has length k:





def APSP( $\{V\}, \{E\}, x, y, 0$ ) : V(x) and V(y) and x = y def APSP( $\{V\}, \{E\}, x, y, k$ ) : exists ((z in V) | E(x,z) and APSP[V,E](z,y,k-1)) and and not exists ((j in Int) | j < k and APSP[V,E](x,y,j))

This becomes more succinct with

- aggregates
- abstraction



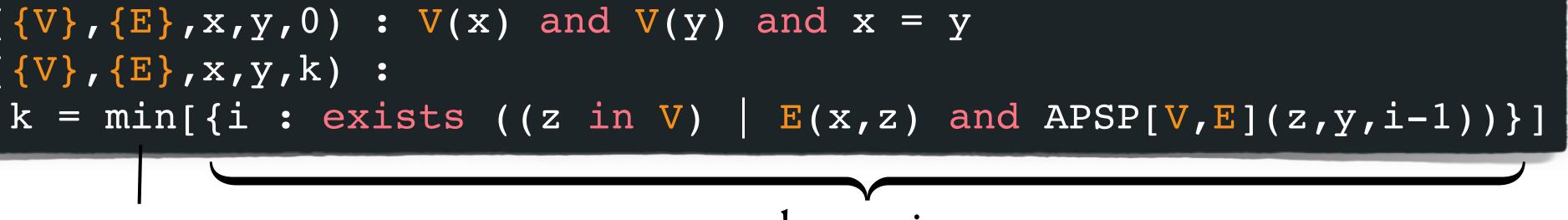
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def APSP( $\{V\}, \{E\}, x, y, 0$ ) : V(x) and V(y) and x = y def APSP( $\{V\}, \{E\}, x, y, k$ ) :

aggregate



abstraction







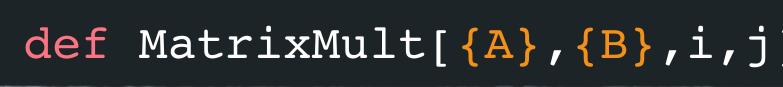
## PageRank

relational<u>AI</u>

### def MatrixMult[{A}, {B}, i, j] : { sum[[k] : A[i,k]\*B[k,j]] }







### PageRank

$$(A \cdot B)_{ij} = \sum_{k} A_{ik} \cdot B_{kj}$$

### def MatrixMult[{A}, {B}, i, j] : { sum[[k] : A[i,k]\*B[k,j]] }





### Step 2: Prelims

def numberRows[{M}] : max[(k) : M(k,\_,)]

PageRank  $(A \cdot B)_{ij} = \sum A_{ik} \cdot B_{kj}$ def MatrixMult[{A}, {B}, i, j] : { sum[[k] : A[i,k]\*B[k,j]] }







### Step 2: Prelims

def numberRows[{M}] : max[(k) : M(k,\_,)] def vector[d,i,j] : 1/d where range(1,d,1,i) and j = 1

Step 3: PageRank

def PageRank[{G},0] : vector[numberRows[G]] def PageRank[{G},k] : MatrixMult[G,PageRank[G,k-1]] where k > 0

PageRank  $(A \cdot B)_{ij} = \sum A_{ik} \cdot B_{kj}$ def MatrixMult[{A}, {B}, i, j] : { sum[[k] : A[i,k]\*B[k,j]] }



### **relational**AI





### Step 2: Prelims

def numberRows[{M}] : max[(k) : M(k,\_,)]

Step 3: PageRank

def PageRank[{G},0] : vector[numberRows[G]]

def output {PageRank[M,10]}

PageRank  $(A \cdot B)_{ij} = \sum A_{ik} \cdot B_{kj}$ def MatrixMult[{A}, {B}, i, j] : { sum[[k] : A[i,k]\*B[k,j]] }

def vector[d,i,j] : 1/d where range(1,d,1,i) and j = 1

### def PageRank[{G},k] : MatrixMult[G,PageRank[G,k-1]] where k > 0



 $\rightarrow$  10 iterations of PageRank on matrix M





Rel in the Real World

Relational AI is actively using Rel with about a dozen customers
Hundreds are inline



Rel in the Real World

-Hundreds are inline

Rel models the semantics of the whole domain -- It is replacing arbitrary Java / C# code

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  - $205k \text{ lines of C++} \rightarrow 9k \text{ lines of Rel}$

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  - E.g. 1 month ->> a few hours of processing time

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### Thanks!

### Molham Aref, Paolo Guagliardo, George Kastrinis, Leonid Libkin, Victor Marsault, Wim Martens, Mary McGrath, Filip Murlak, Nathaniel Nystrom, Liat Peterfreund, Allison Rogers, Cristina Sirangelo, Domagoj Vrgoc, David Zhao, Abdul Zreika: **Rel: A Programming Language for Relational Data**

To appear in SIGMOD 2025

ArXiv version:

